# Validating Streaming JSON Documents with Learned Visibly Pushdown Automata TACAS 2023

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References

```
{
  "title": "Validating JSON documents",
  "place": {
    "town": "Paris",
    "country": "France"
  }
}
```

Motivation	
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```
{
  "title": "Validating JSON documents",
  "place": {
    "town": "Paris",
    "country": "France"
}
```

An object is an unordered collection of key-value pairs.

There are also arrays (ordered collections of values); we ignore them in this talk.

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We want to verify that the document satisfies some constraints.

```
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```
{
    "title": "Validating JSON documents",
    "place": {
        "town": "Paris",
        "country": "France"
    }
}
"title" → string
"town" → string
"country": "France"
}
```

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Classical validation algorithm:

- 1. Explore the document and the constraints in parallel;
- 2. If the current value does not match the sub-constraints, stop;
- 3. Otherwise, repeat recursively.

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The constraints can have Boolean operations.

 $\hookrightarrow$  The same value must be processed multiple times.



#### Assume we are in a streaming context.

 $\hookrightarrow$  We receive the document one fragment at a time.

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Our approach:

Construct an automaton from the constraints.

- What kind of automaton?
- How to construct it?
- There is an exponential number of permutations of the keys.
- Abstract the automaton to know which part of the automaton reads an object.
- ► Validation algorithm using the automaton and the abstraction.

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We can process the document while receiving it!

References

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Figure 1: Recursive constraints and a deterministic finite automaton.

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Figure 1: Recursive constraints and a deterministic finite automaton.

Accepts  $\{rec\}$ 

The language  $L = \{(\{rec)^n\}^n \mid n > 0\}$  is not regular but can be described by our constraints.

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#### Use a stack to remember how many objects we opened.

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Figure 2: A VPA for the recursive constraints.

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## Theorem 1 (Contribution)

Let C be a set of constraints. Then, there is a VPA A such that  $\mathcal{L}(A)$  is the set of documents valid with regards to C. If we fix an order < over the keys, there is a VPA B accepting words that follow <. In some cases, B is exponentially smaller than A.

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Theorem 2 (Isberner, "Foundations of active automata learning: an algorithmic perspective", 2015)

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 $\hookrightarrow$  Given  ${\mathcal C}$  and < , we learn a VPA.







How can we read a document that does not follow the VPA's order? { place { country s , town s } , title s } V. Bruyère, G. A. Pérez, G. Staque Validation by automaton — Problem: order Validating JSON document

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Let us focus on { country s , town s }.

 $\hookrightarrow$  We need to "jump" around in the VPA.



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## The key graph summarizes the possible jumps.

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When we see the key town, we jump to  $q_0$ . When we see the key country, we jump to  $q_7$ .

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Is that enough?

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We need to distinguish between



{ k2 i , k1 i } { k2 s , k1 i }.

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We need to distinguish between



 $\{ \ \texttt{k2 i} \ , \ \texttt{k1 i} \} \\ \{ \ \texttt{k2 s} \ , \ \texttt{k1 i} \}.$ 

 $\hookrightarrow \text{We must reconstruct the} \\ \text{actual path.}$ 





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- 4. Read k1 i and mark  $q_0 \rightarrow q_7$  as not seen.



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- **4**. Read k1 i and mark  $q_0 \rightarrow q_7$  as not seen.
- 5. Did not see one of the possibilities.  $\rightsquigarrow$  We reject the word.

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#### Ideas:

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- From a VPA A, construct its key graph.
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Algorithm is too technical to give here  $\textcircled{\sc 0}.$ 

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Let  $d(\mathcal{J})$  denote the depth (number of nested objects and arrays) of the document  $\mathcal{J}$ .

Theorem 3 (Contribution)

Let C be a set of constraints over keys  $\Sigma_{key}$  and A be a VPA that recognizes C. Deciding if a JSON document  $\mathcal{J}$  is valid requires

- space polynomial in  $|\mathcal{A}|$ ,  $|\Sigma_{key}|$ , and  $d(\mathcal{J})$ ,
- time polynomial in  $|\mathcal{J}|$  and  $|\mathcal{A}|$ , and exponential in  $|\Sigma_{key}|$ .

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Implemented in Java (thanks to AUTOMATALIB and LEARNLIB). We measured the time needed to learn the VPA, and we compared both validation algorithms on six sets of constraints. Four of them come from real-world cases.

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#### (a) Learning.



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Time	Computation	Storage Size
1715 s	11827 kB	419 kB 418

(b) Computation of the key graph.



Figure 3: Results for VIM plugins.  $|\Sigma_{key}| = 16$ . Red circles = classical algorithm. Blue crosses = our algorithm.

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We use Boolean operations to force the classical algorithm to explore multiple branches, while our algorithm is immediate.



Figure 4: Results for a worst case.  $|\Sigma_{key}| = 1$ .



Isberner, Malte. "Foundations of active automata learning: an algorithmic perspective". PhD thesis. Technical University Dortmund, Germany, 2015. URL: https://hdl.handle.net/2003/34282.